

3 Peltier effect \rightarrow An effect
4 which is the converse of Seebeck
5 effect is called Peltier effect.
6 When an electric current is sent
7 in a thermocouple circuit by using
an external seat of emf (cell)
heat is either absorbed or evolved
at the junction and consequently
one junction is heated and the
other is cooled is called Peltier effect
or

The phenomenon of loss or gain of
heat at the junction of two dissimilar
metals when an electric current
is passed across it is called Peltier
effect.

2017 Explanation \rightarrow

S	M	T	W	T	F	S
			1	2	3	4
5	6	7	8	9	10	11
12	13	14	15	16	17	18
19	20	21	22	23	24	25
26	27	28	29	30	31	

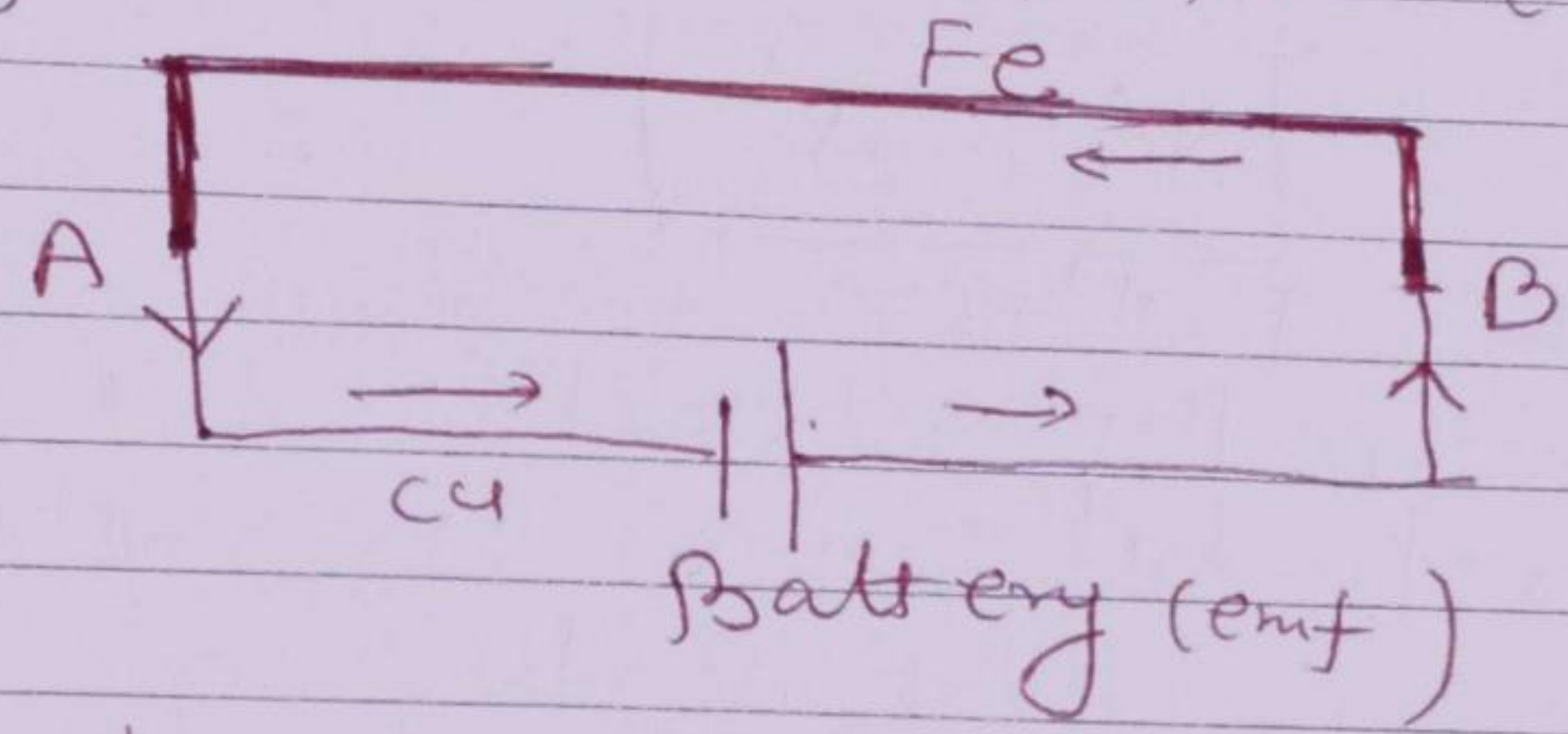
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Let us consider a Cu-Fe couple in which a battery is placed through which electric current passing.



The heat energy is absorbed at the junction B and this junction is cooled and heat energy is evolved at a junction A and this junction is heated. This evolution or absorption of heat energy at a junction of a thermocouple is equal to $\pi I t$ where $I =$ current flowing through the thermocouple at time t .

$$Q = \pi I t$$

$\pi =$ Peltier coefficient

If $I = 1$ $t = 1$ then

$$Q = \pi$$

The amount of heat energy absorbed or evolved due to peltier effect at a junction when a unit current flows for one second is denoted by π .

If V be the contact potential difference at the junction, then the heat absorbed or evolved due

Seebeck's effect is $V = \pi \Delta T$

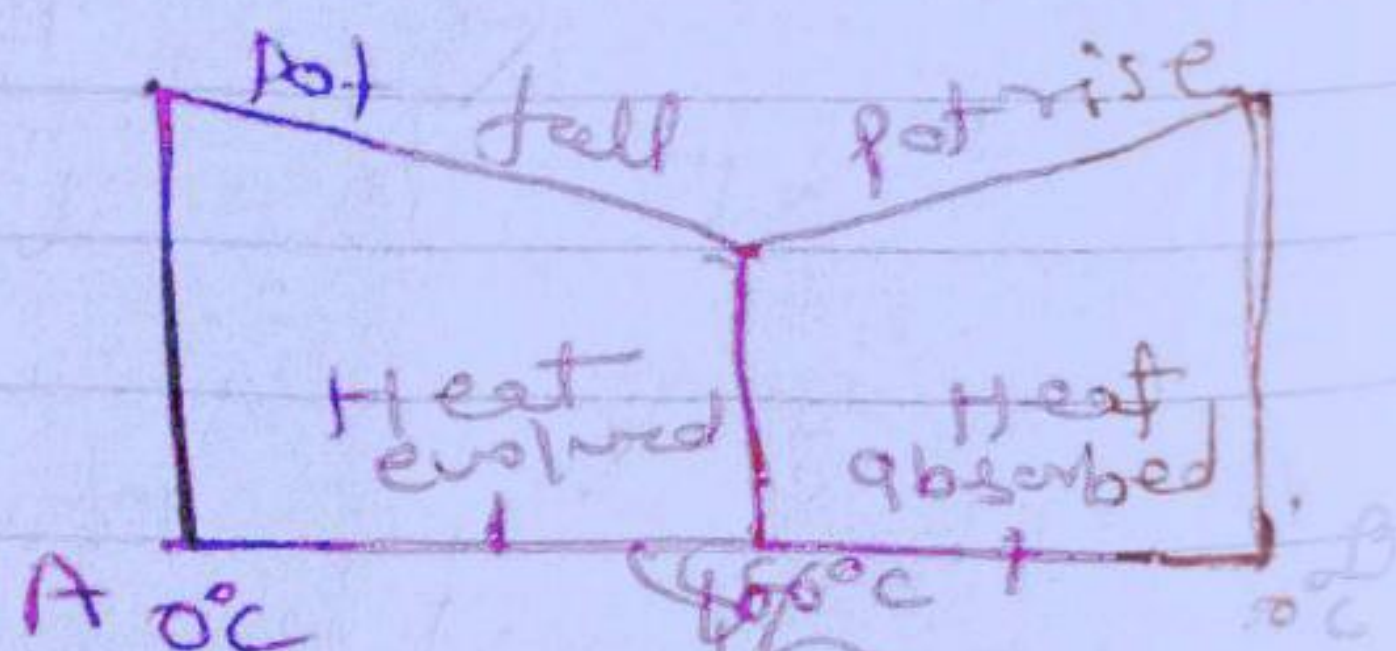
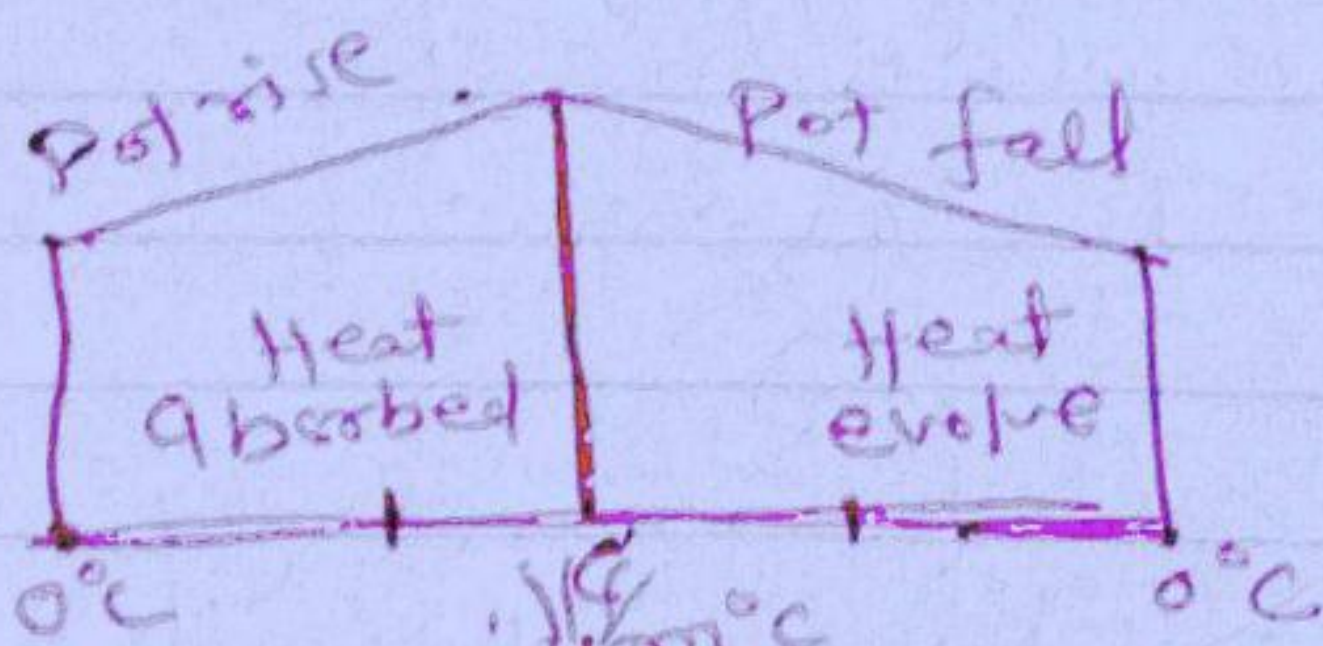
Sol $V \propto \Delta T = \pi \Delta T$

$$V = \pi \Delta T$$

Hence Peltier coefficient at a junction is numerically equal to the contact potential difference in Volts.

The value of Peltier coefficient is different for different pairs of metal.

Thomson effect \rightarrow The absorption or evolution of heat energy if a current flows along a conductor when different parts of the conductor are at different temperature is known as Thomson effect.



For Cu \rightarrow The evolution of heat energy

For Fe \rightarrow absorption of heat energy

According to Thomson effect is due to a difference of potential which exists at different points of an unequally heated conductor.

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In the case of substances having positive Thomson effect, a point at a higher temp is at a higher potential than the point at a lower temp. Hence when current flows from a point at a lower temp to a point at a higher temperature, it flows from lower potential to a higher potential. Therefore, energy is realised for a purpose which is absorbed from the material. The negative Thomson effect in the case of substance at a point at a higher temperature is at a lower potential than the point at a lower temperature. Hence when current flows from a point at a lower temperature to a point at a higher temperature it flows from higher potential to lower potential. Heat energy is evolved when current flows from a point at a higher temp to a point at a lower temperature, it flows from lower potential to higher potential. In such a case heat energy is absorbed.

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Thomson effect is not constant but varies with temperature. If a current I amp flows for t sec between two points of a conductor having a temp difference at 1°C .

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M	T	W	T	F	S
			2	3	4
			8	9	10
13	14	15	16	17	18
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27	28				

Heat energy evolved or absorbed =

$$\sigma I t$$

$V =$ Potential difference between the same two points in Volt

Heat energy evolved or absorbed = $V I t$

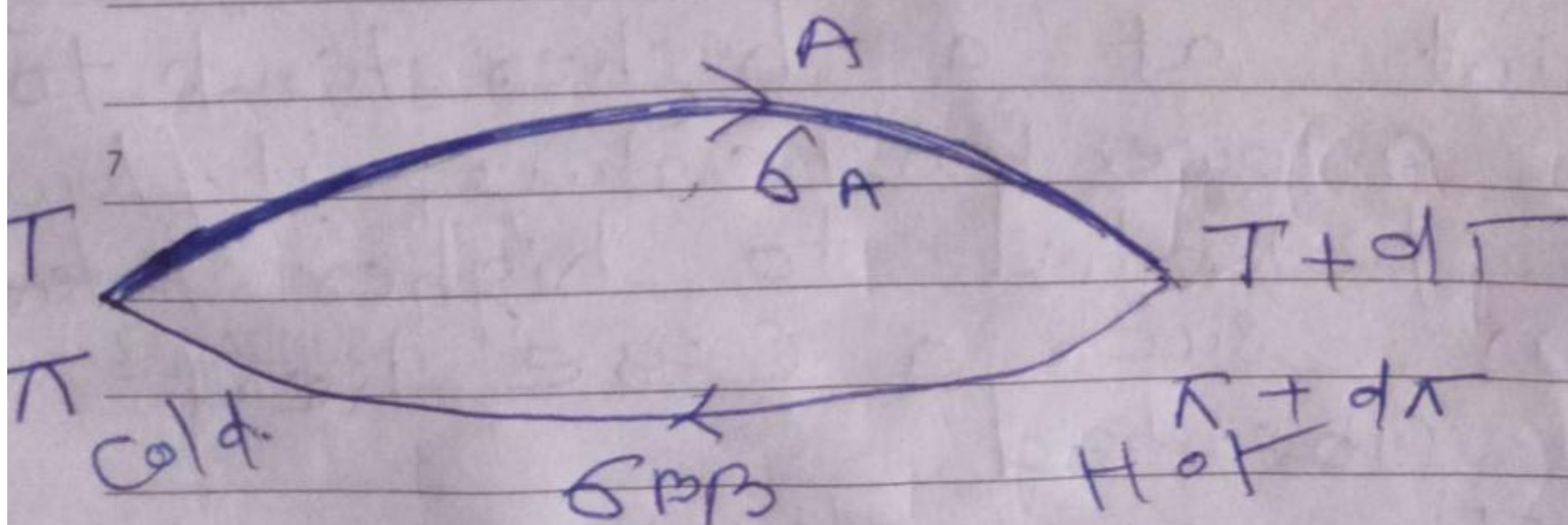
$$\therefore \sigma I t = V I t$$

$$\sigma = V$$

Thus Thomson coefficient (σ) is numerically equal to the difference of potential per degree centigrade in Volts.

Thomson coefficient is also known as the specific heat of electricity.

Expression for Peltier coefficient and Thomson coefficient \rightarrow



Let us consider a thermocouple consisting of two metals A and B. having Cold junction at temp T Hot junction at temp $T + dT$

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π & $\pi + d\pi$ - Peltier coefficient of metals

σ_A & σ_B = Thomson coefficient

Let a current I flows for t sec in the direction A to B at the hot junction.

Heat energy absorbed at temp $T + dT$ at the hot junction due to Peltier effect = $(\pi + d\pi)(It)$

Heat energy evolved at a temp T at the cold junction due to Peltier effect = πIt

Heat energy absorbed in the metal A due to Thomson effect = $\sigma_A dT It$

Heat energy evolved in the metal B due to Thomson effect = $\sigma_B dT It$

\therefore Net energy absorbed in the circuit =

$$(\pi + d\pi - \pi + \sigma_A dT - \sigma_B dT) It$$

$$= \{d\pi + (\sigma_A - \sigma_B) dT\} It$$

This energy used in setting up a potential diff dV in the couple circuit which is equal to $dV It$.

$$dV It = \{d\pi + (\sigma_A - \sigma_B) dT\} It$$

M	T	W	T	F	S	S
		1	2	3	4	5
6	7	8	9	10	11	12
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27	28					

$$dE = dV = d\pi + (\sigma_A - \sigma_B) dT$$

The amount of heat energy $(\pi + d\pi) It$ is absorbed from the

source at the hot junction at an absolute temperature $T + dT$ and an amount $(\sigma_A dT) It$ Joules is absorbed in metal A at a mean absolute temp T ,

An amount of heat energy πIt Joules is given to the sink at the cold junction at an absolute temperature T and an amount $(\sigma_B dT) It$ Joules is given out in the metal B at a mean absolute temperature T .

According to Carnot's theorem

$$\frac{(\pi + d\pi) It}{T + dT} + \frac{(\sigma_A dT) It}{T} = \frac{\pi It}{T} + \frac{(\sigma_B dT) It}{T}$$

$$\frac{(\pi + d\pi) It}{T + dT} - \frac{\pi It}{T} + \frac{(\sigma_A - \sigma_B) dT It}{T} = 0$$

$$\frac{\pi + d\pi}{T + dT} - \frac{\pi}{T} + \frac{(\sigma_A - \sigma_B) dT}{T} = 0$$

$$\frac{\pi T + d\pi T - \pi dT - \pi T - (\sigma_A - \sigma_B) dT T + (\sigma_A - \sigma_B) dT^2}{T(T + dT)}$$

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$$T [d\pi + (\sigma_A - \sigma_B) dT] - \pi dT = 0$$

$$dE = d\pi + (\sigma_A - \sigma_B) dT$$

$$\text{SO } T dE - \pi dT = 0$$

$$\text{power exp} = \frac{dE}{dT}$$

$$\pi = T dE/dT = T \rho$$

$$\boxed{\rho = \pi/T}$$

peltier coefficient is product of absolute temp and the thermoelectric power.

$$\pi = T \rho = T dE/dT$$

differentiating it w.r. to T

$$\frac{d\pi}{dT} = T d^2E/dT^2 + dE/dT$$

$$dE/dT - \frac{d\pi}{dT} = -T d^2E/dT^2$$

$$\text{Now } dE = d\pi + (\sigma_A - \sigma_B) dT$$

Dividing it dT in both side

$$dE/dT = \frac{d\pi}{dT} + (\sigma_A - \sigma_B)$$

$$\text{SO } \frac{d\pi}{dT} + (\sigma_A - \sigma_B) - \frac{d\pi}{dT} = -T d^2E/dT^2$$

$$\boxed{(\sigma_A - \sigma_B) = -T d^2E/dT^2}$$

$$d\rho/dT = 1/T (\sigma_A - \sigma_B)$$

2017